

EXAMPLE FLASH CALCULATION

Comments to this spreadsheet are given in red text below

Problem Statement: A subcooled liquid feed composed of n-pentane, n-hexane, n-heptane, benzene, and toluene at 298 K and 5 atm enters a flash chamber whose pressure is 2 atm. The flow rate of the feed is 1 mole/s. A heat exchanger present in the flash chamber provides 20 kJ of heat per mole of feed. Determine the composition of the vapor and liquid product streams, the vapor and liquid product flow rate, and the temperature in the flash chamber. Use the virial equation of state, the Pitzer and Curl correlation, and the Lewis fugacity rule for determining the vapor phase activity coefficients and regular solution theory for determining the liquid-phase activity coefficients. Assume ideal mixtures when determining the enthalpies of the liquid and vapor phases.

PART 1: INPUT DATA

Components:	n-C5	benzene	n-C6	n-C7	toluene
Antoine consts.					
A	15.833	15.9	15.83	15.873	16
B	2477.07	2788	2697.55	2911.32	3096.52
C	-39.94	-52.36	-48.78	-56.5	-53.67
These constants give the vapor pressure in mm Hg					
Critical Constants					
Tc (K)	469.6	562.1	507.4	540.2	591
Vc (cm ³ /mol)	304	259	370	432	316
Zc	0.262	0.271	0.264	0.263	0.264
Pc	33.3	44.6	29.3	27	40.6
omega	0.251	0.212	0.296	0.351	0.257
Liquid mol. vol. (cm ³ /gmol)	115.26	88.26	130.77	146.49	106.23
Regular Solution Theory	7.05	9.15	7.3	7.45	8.9
Solubility Parameters (cal/cm ³) ^(1/2)					
Enthalpy Data (units: J, g-mole, K)					
Cpi liquid	150.47	180	180	220.99	200
Note units for enthalpy parameters					
These Cpi values are approximate average values for the temperature range that applies to the problem. This avoids the use of temperature dependent heat capacities					

heat vaporiz @ Tb	25256	30143.2	28273.6	31061.6	32513
Tb (Normal boiling pt.)	309.2	353	342	371	383

PART 2: PROBLEM SPECIFICATION

Based on 1 mole of feed:

	z1	z2	z3	z4	z5
zi:	0.2	0.2	0.2	0.2	0.2
P:	2				

In this problem the feed parameters as well as the flash chamber pressure and the value of Q/F are specified.

Flash chamber pressure

Feed is all liquid at 298 K, so by definition the enthalpy is zero. Note the feed pressure does not matter (since feed is all liquid).

Feed enthalpy/mole:

0

(Liq. enth. @ 298K = 0)

Enthalpy is defined to be zero for each component at 298 K in liquid state

Heat input/mole feed

20000

This is Q/F (enthalpy input per mole of feed)

PART 3: INITIAL GUESS AND FINAL SOLUTION:

	y1	y2	y3	y4	y5	T
	0.378440903	0.192811904	0.220987144	0.116634164	0.091125884	368.7014896
	x1	x2	x3	x4	x5	V/F
	0.137029864	0.202536639	0.192593859	0.229419063	0.238420576	0.260842105

These are the changing cells in the solver. The values shown here are the final solution.

PART 4: UPPER AND LOWER LIMITS OF VARIABLES DURING SOLUTION SEARCH:

Upper limit of y&x	1
Lower limit of y&x	0
Upper limit of T	500
Lower limit of T	200

These can be used for inequality constraints to help Solver find a solution

PART 5: GAS PHASE CALCULATIONS

Pi_sat (atm)	5.286366803	1.573686447	2.148498203	0.918098945	0.629670849
B_i (cm ³ /mol)	-720.7037032	-962.257141	-1099.753064	-1553.19729	-1313.682923
phi_i	0.953476078	0.938372358	0.929882187	0.902423305	0.916824815
phi_i_sat	0.881682074	0.951181989	0.924876469	0.953962104	0.973030402

These pressures are in atm (not mm Hg)

Note that R = 82.06 cm³ atm / (mol K) in the relations given in this section

phi_i is given by the Lewis fugacity rule here so it does not depend on composition

PART 6: LIQUID PHASE CALCULATIONS

Note that $R = 2 \text{ cal}/(\text{mole K})$ when this parameter is needed in this section.

Regular soln theory

Volume fraction is given by $x_i * v_i / (\sum x_i * v_i)$ where v_i is the molar volume of pure i .

$x_i * v_i$	15.79367686	17.87586083	25.1856655	33.60788026	25.32703003
Volume fractions	0.134083213	0.151760282	0.213818161	0.285320043	0.215018301
$\text{sol par}_i * \text{vol fr}_i$	0.945286651	1.38860658	1.560872578	2.125634322	1.913662875
Sol. par. of mixture	7.934063006				
γ_i	1.12993505	1.19358603	1.073900071	1.047649431	1.143862295

PART 7: ENTHALPY

Need to incorporate "if" statement in formula so $\Delta H_v = 0$ if T is greater than T_c for a component. Watson equation gives an imaginary result if you don't do this.

heat vaporiz (T) (Watson eqn.)	21176.93567	29262.20241	26443.86312	31221.27397	33344.85757
Liq. Tot. Enthalpy/mole	13442.17776	1457.785785	2577.535567	2451.001085	3584.517352
Gas Tot. Enthalpy/mole	12040.24447	38583.1406	8095.876966	8656.095449	5463.796965
Combined Products enth/mole	19999.99943				4327.12675

This is $\sum x_i * h_i$ (denoted at h_L below).

This is $\sum y_i * H_i$ (denoted at H_v below).

This is $(V/F) * H_v + (1-V/F) h_L$

These are $x_i * h_i$.

These are $y_i * H_i$.

PART 8: SELECTION OF THERMODYNAMIC MODELS

Assume ideal liquid (y/n)? n

Assume ideal gas (y/n)? n

Collect all the previous calculations for parameters here, but with an "if" statement so if the questions on lines 113-4 are answered with "y", unity appears in appropriate cell

PART 9: FINAL CALCULATIONS (SOLVE EQUATIONS IN RESIDUAL FORM)

	comp 1	comp 2	comp 3	comp 4	comp 5
ϕ_i	0.953476078	0.938372358	0.929882187	0.902423305	0.916824815
$\phi_{i,sat}$	0.881682074	0.951181989	0.924876469	0.953962104	0.973030402
γ_i	1.12993505	1.19358603	1.073900071	1.047649431	1.143862295

The residuals below use the parameters in the table immediately above, which will be unity if ideal conditions are assumed.

Equations to be solved (in residual form):

Phase equilibrium residuals:

Note that $f_i = \gamma_i \cdot x_i \cdot \phi_{i,sat} \cdot P_{i,sat} / (\phi_i \cdot P)$

	$y_1 - f_1$	$y_2 - f_2$	$y_3 - f_3$	$y_4 - f_4$	$y_5 - f_5$	$\sum y_i - 1$
Residuals:	-1.25878E-07	-4.52083E-08	-4.93147E-08	-3.63089E-09	1.3264E-07	0

Material and Enthalpy Balances (in residual form):

	comp 1	comp 2	comp 3	comp 4	comp 5	Enthalpy Balance/1000
Residuals:	-2.75721E-08	-1.84381E-08	-2.31869E-08	-1.25574E-08	8.17546E-08	5.68731E-07

$$y_i \cdot (V/F) + x_i \cdot (1 - V/F) - z_i$$

$$(H_v \cdot (V/F) + h_L \cdot (1 - V/F) - Q/F - h_{feed})/1000$$

Note that enthalpy balance residual is divided by 1000 to provide additional scaling to help Solver find the solution.

The above 12 residual are entered as constraints to be equal to zero in the Excel solver. The 12 residuals are set equal to zero by changing the 12 changing cells shown earlier. .